

A scatter plot is a set of points on a grid, used to visualize a relationship or possible trend in the data. If the points on a scatter plot seem to follow a linear trend (ie. form approximately a line), then there may be a linear relationship between the data. Technology can then be used to determine and graph the equation of the line of best fit.

A line of best fit can be used to predict values that are not recorded or plotted. To do so, read values from the line of best fit on a scatter plot, or use the equation of the line of best fit.

**Example 1:** The winning times for the men’s 20 km biathlon in the Winter Olympics from 1964 to 2010 are shown in the table.

<b>Year</b> <i>X</i> / independent	1964	1968	1972	1976	1980	1984
<b>Winning Time (min)</b> <i>Y</i> - dependent	80.4	73.8	75.9	74.2	68.3	71.9
<b>Year</b>	1988	1992	1994	1998	2006	2010
<b>Winning Time (min)</b>	56.6	57.6	57.4	56.2	54.3	48.4

- a) Use technology to determine the equation of the line of best fit.

$$Y = -0.68x + 1419.4$$

*STAT → EDIT  
enter data, Quit  
STAT → CALC → LinReg  
Enter twice*

- b) Determine a possible winning time for the event in the 2002 Olympics.

$$Y = -0.68(2002) + 1419.4 = 58.04$$

**Example 2:** A city council needs to buy 15 000 L of liquid de-icer for the coming winter. One supplier provides the following quote:

- *X* 9 kL for \$1.30/L *Y*
- 10 kL for \$1.20L
- 11 kL for \$1.15/L
- 12 kL for \$1.10/L
- 13 kL for \$1.05/L
- 14 kL for \$0.95/L
- 16 kL for \$0.84/L

- a) Use linear regression to determine the equation of the line of best fit for the data

$$Y = -0.064x + 1.86$$

- b) What price should the city expect to pay per litre? *\$0.064/L*

- c) What price will be paid in all?

$$Y = -0.064(15) + 1.86 = \$0.90/L$$